

## TI 83-84: Solving Equations By Graphing On Your Calculator

Important: Solving by graphing on your calculator gives a decimal answer, not an "exact" answer. So if the answer is really  $\sqrt{2}$ , the calculator will tell you that the answer is 1.414...

Method 1: Graph each side of the equation as separate "y =" equation, look for the intersection of the graphs -- the x-coordinate of any intersection is a solution. (See Worksheet 5 for directions on finding intersections.) Make sure that you only list x-values as solutions...there were no y-values in the original equation.

Method 2: Get a zero on one side of the equation, then graph the other side on your calculator. Look for the x-intercepts -- these will be the solutions. (See Worksheet 6 for directions on finding x-intercepts.) Make sure that you only list x-values as solutions...there were no y-values in the original equation.

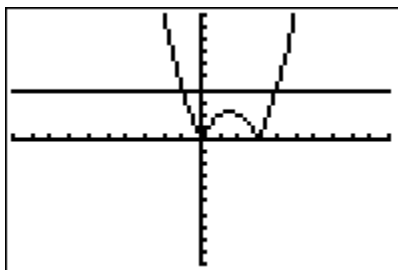
Here's an example using Method 1:

Solve this equation by graphing:

$$|3x - x^2| = 4$$

graph each side as a separate equation:

```
P1ot1 P1ot2 P1ot3
\Y1=abs(3X-X^2)
\Y2=4
\Y3=
\Y4=
```



Find the two intersections by using  $2^{nd}$  **CALC** **intersect**:  $x = -1$  and  $x = 4$  are solutions to this equation.

Can you check that by substituting those answers for x in the equation? Try it!

$$|3x - x^2| = 4$$

$$\text{let } x = -1$$

$$|3(-1) - (-1)^2| = 4$$

then what?

$$|3x - x^2| = 4$$

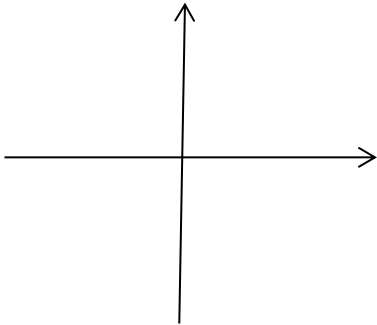
$$\text{let } x = 4$$

$$|3(4) - (4)^2| = 4$$

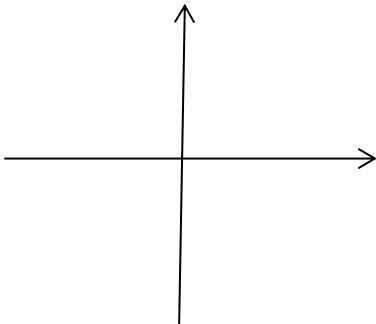
## Practice for Solving Equations By Graphing

- Solve each equation by graphing both sides of the equation as separate functions on your calculator. **ZOOM** Standard works well.
- Sketch the graphs below, then ask your calculator for the exact intersections, using **2<sup>nd</sup>** **CALC** **intersect**.
- Remember that we only want the x-values, because we're solving equations with just x!
- *Answers are at the bottom of the page.*

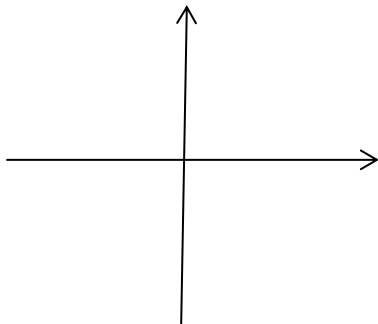
(1)  $x^2 = x + 6$



(2)  $|x + 2| = 3$



(3)  $\sqrt{x + 7} = 2$



(1)  $x = -2, 3$  (2)  $x = -5, 1$  (3)  $x = -3$